

UNIVERSITÀ DEL SALENTO AND INFN LECCE



Stellar Spot Features in Microlensing Events

Mosè Giordano

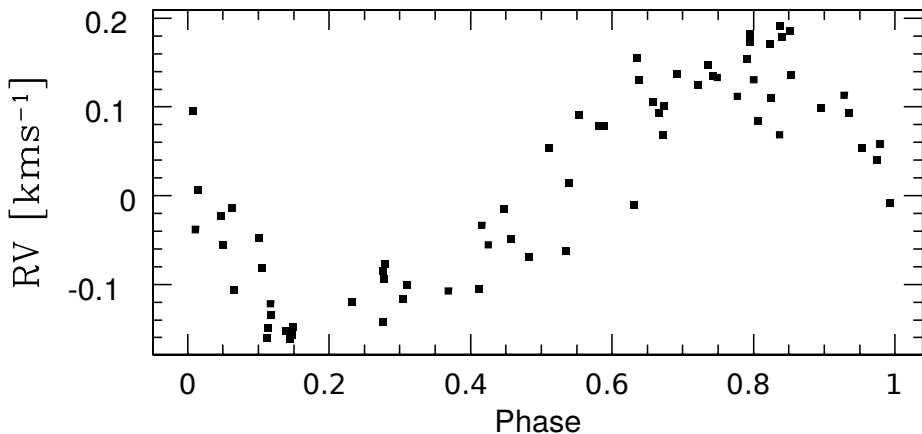
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Stellar Spots and Radial Velocity

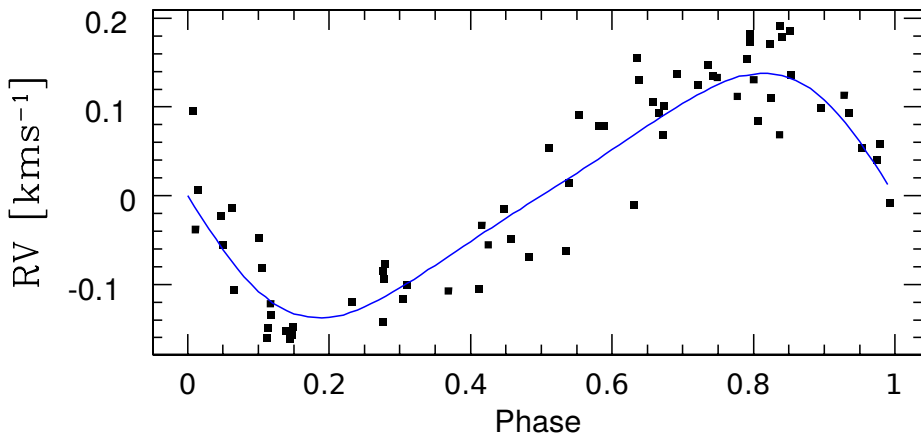
No planet for HD 166435 (D. Queloz et al. *A&A* 379, 279-287 (2001). doi: 10.1051/0004-6361:20011308. arXiv: astro-ph/0109491v1.)



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arXiv: [1206.5493](https://arxiv.org/abs/1206.5493).

Amplification with Stellar Spots on the Source

We consider the amplification of a source star, with spots on its surface, by a point-like single lens.

We calculate the finite source amplification A_{finite} numerically on the source disk \mathcal{S} using

$$A_{\text{finite}} = \frac{\int_{\mathcal{S}} A(r)f(r) dr}{\int_{\mathcal{S}} f(r) dr} = \frac{\int_{\mathcal{S}} A(r)f(r) dr}{F}$$

with $A(r)$ the Paczyński amplification, $f(r)$ the surface brightness, and $F = \int_{\mathcal{S}} f(r) dr$ the total flux of the source.

For simplicity we assume $f(r)$ to be given only by the **Stefan–Boltzmann law**:

$$f(r) = \begin{cases} \text{const} & \text{if } r \text{ is outside the spot,} \\ \text{const} (T_{\text{spot}}/T_{\text{star}})^4 & \text{if } r \text{ is inside the spot.} \end{cases}$$

We set $(T_{\text{spot}}/T_{\text{star}})^4 = \tau$.

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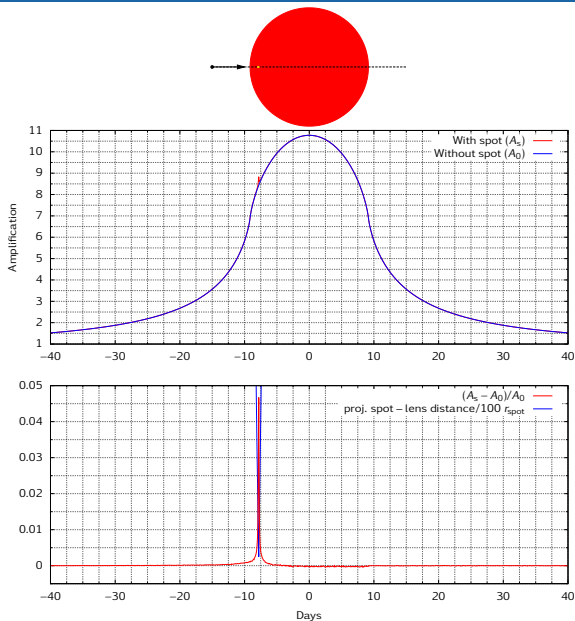
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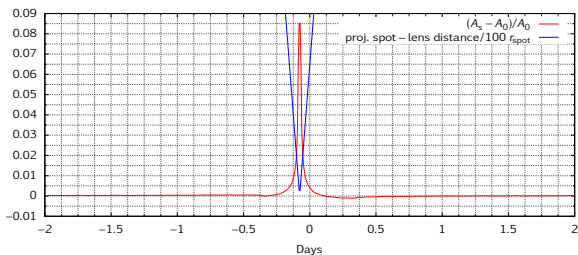
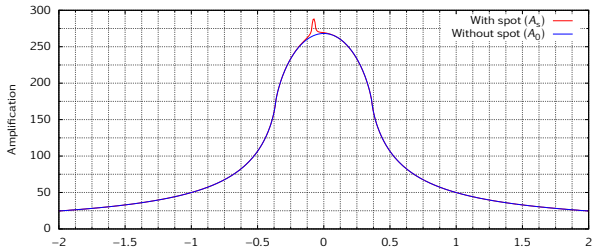
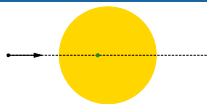
We set $(T_{\text{spot}}/T_{\text{star}})^4 = \tau$.

Simulation 1: red supergiant with one hot spot



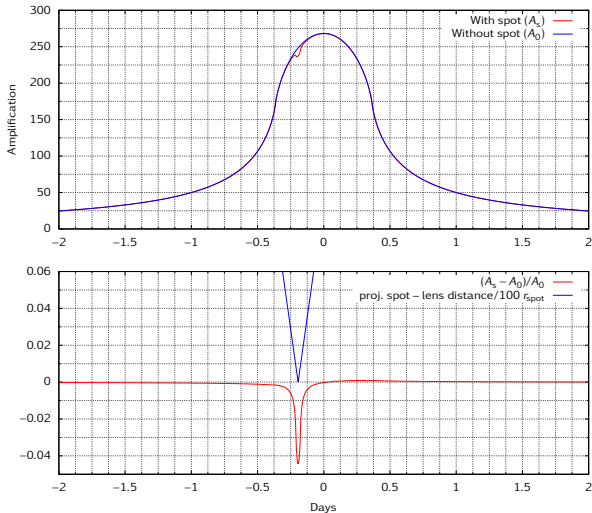
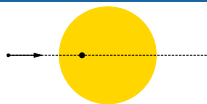
- $D_l/D_s = 0.5$
- $R_{\text{source}} = 50R_{\odot}$
- $P_{\text{source}} = 500$ days
- $t_E = 49.1$ days
- $\theta_{\text{spot}} = 0$
- $\tau = 8$
- $R_{\text{spot}}/R_{\text{source}} = 0.008$

Simulation 2: main sequence star with one hot spot



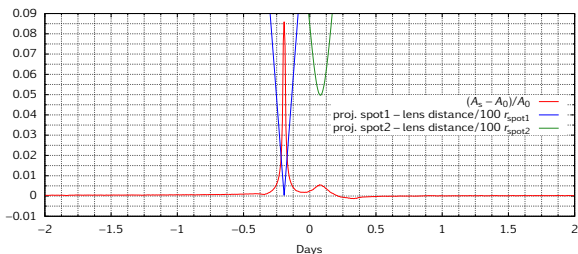
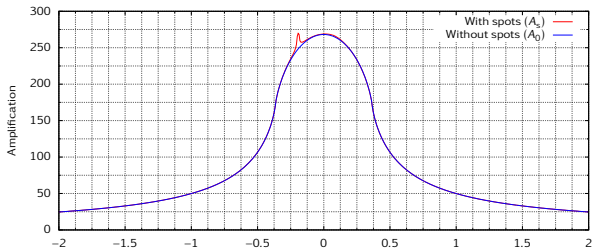
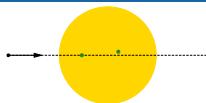
- $D_l/D_s = 0.5$
- $R_{\text{source}} = 2R_{\odot}$
- $P_{\text{source}} = 30$ days
- $t_E = 49.1$ days
- $\theta_{\text{spot}} = 0$
- $\tau = 4$
- $R_{\text{spot}}/R_{\text{source}} = 0.03$

Simulation 3: main sequence star with one cold spot



- $D_l/D_s = 0.5$
- $R_{\text{source}} = 2R_{\odot}$
- $P_{\text{source}} = 30$ days
- $t_E = 49.1$ days
- $\theta_{\text{spot}} = 0$
- $\tau = 0.07$
- $R_{\text{spot}}/R_{\text{source}} = 0.05$

Simulation 4: main sequence star with two hot spots



- $D_l/D_s = 0.5$
- $R_{\text{source}} = 2R_{\odot}$
- $P_{\text{source}} = 30$ days
- $t_E = 49.1$ days
- $\theta_{\text{spot } 1} = 0$
- $\theta_{\text{spot } 2} = \pi/21$
- $\tau_1 = \tau_2 = 4$
- $R_{\text{spots}}/R_{\text{source}} = 0.03$

Conclusions

These features are peculiar to microlensing events by a single lens and with a spot on the source surface:

- 💡 important **finite source effects** (giant source or lens close to the source)
- 💡 **secondary** (spot-induced) **peak pretty close** (or at least within the angular size of the source) **to peak of closest approach** between lens and source

The following features are peculiar to microlensing events by binary lenses:

- ⚠️ **very high amplification** event
- ⚠️ **secondary peak far from the main one**
- ⚠️ an **asymmetric amplification curve** cannot be due to a single lens (it would be Paczyński-like in that case), if parallax is not important
- ⚠️ **very large enhancement factor** compared to the amplification curve with unspotted source
- ⚠️ **double caustic crossing**

Conclusions (cont.)

In addition we note that

- **cold spots** are **easier to distinguish** from a real binary lens than hot ones
- only **spots along the lens trajectory** (or very close to it) sensibly affect amplification curve profile

Reference

 M. Giordano, et al. *In Preparation*.

Contact Us

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