

# CHARACTERIZING DUST ATTENUATION IN LOCAL STAR FORMING GALAXIES



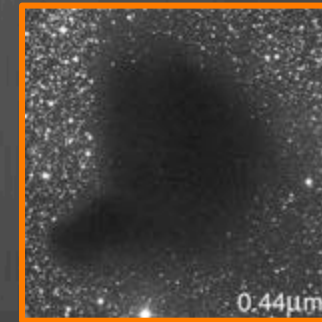
**Andrew Battisti** – UMass  
**Daniela Calzetti** – UMass  
**Ranga-Ram Chary** – Caltech



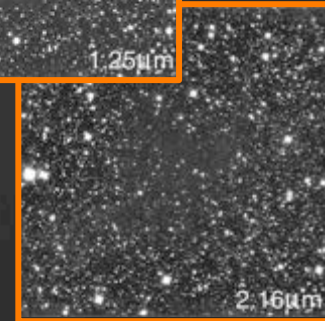
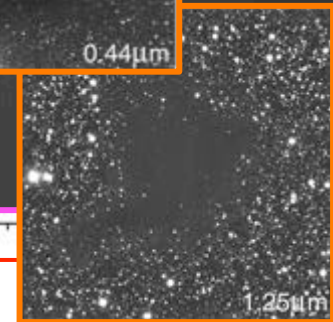
NGC 4414

# Impact of Dust on Science

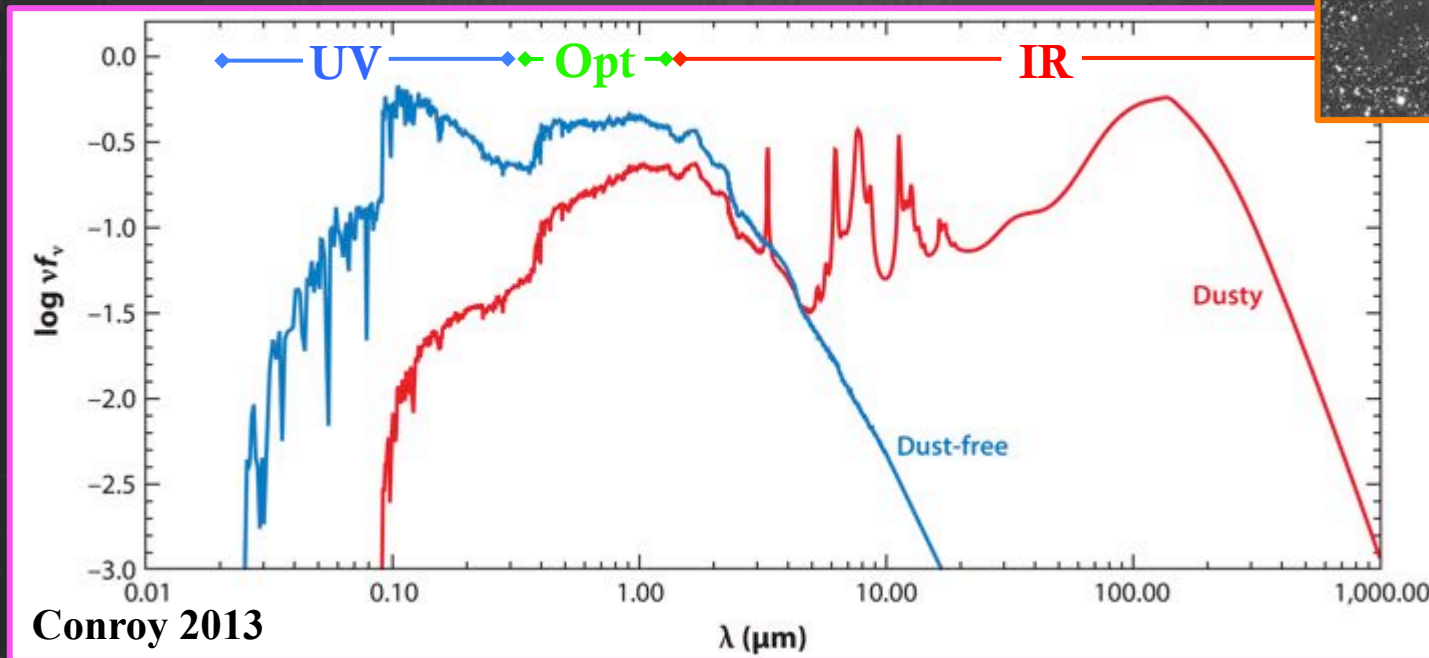
- ☉ Dust alters spectral energy distributions (SEDs)
  - ☉ Wavelength dependent, blue affected more
- ☉ **Galactic** impact: star classification, distance measurements, etc.
- ☉ **Extragalactic** impact: photo-z, galaxy properties (e.g.,  $M_*$ , SFR), SNe measurements, etc.



Barnard 68



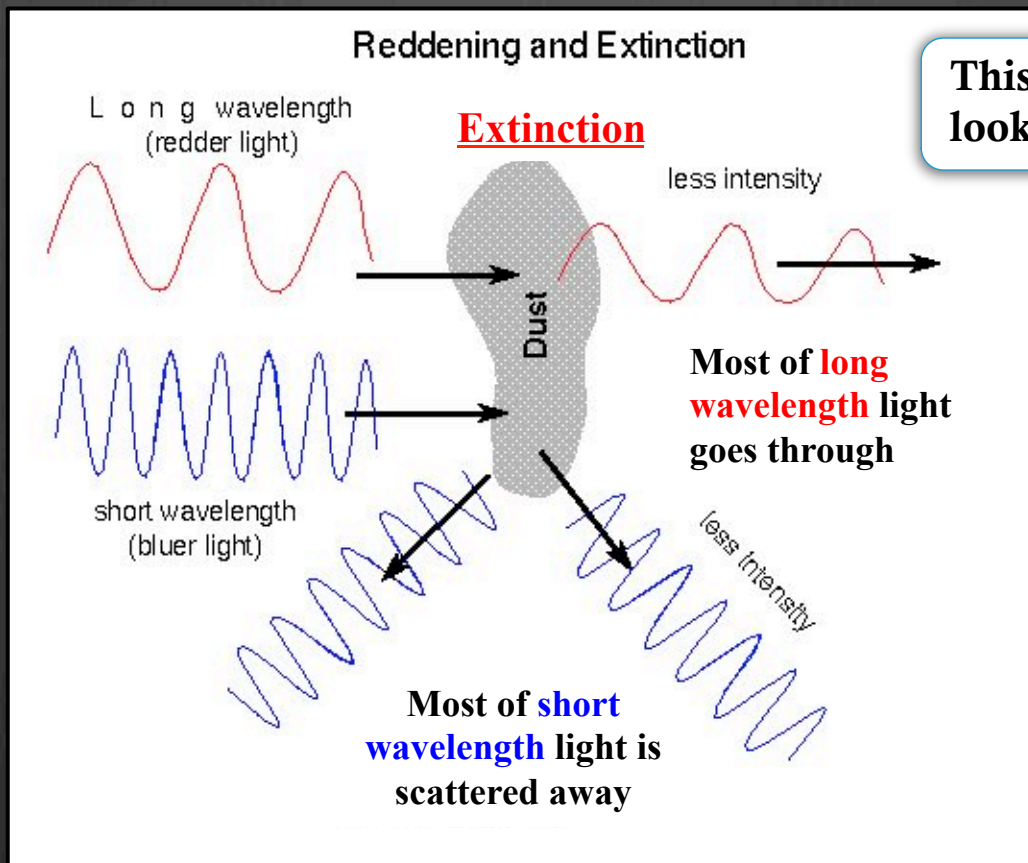
Credit: ESO





# Dust in the Milky Way

- ☉ Extinction = Absorption + Scattering out of line-of-sight
  - ☉ Wavelength dependence influenced by size distribution and composition



# Dust in the Milky Way

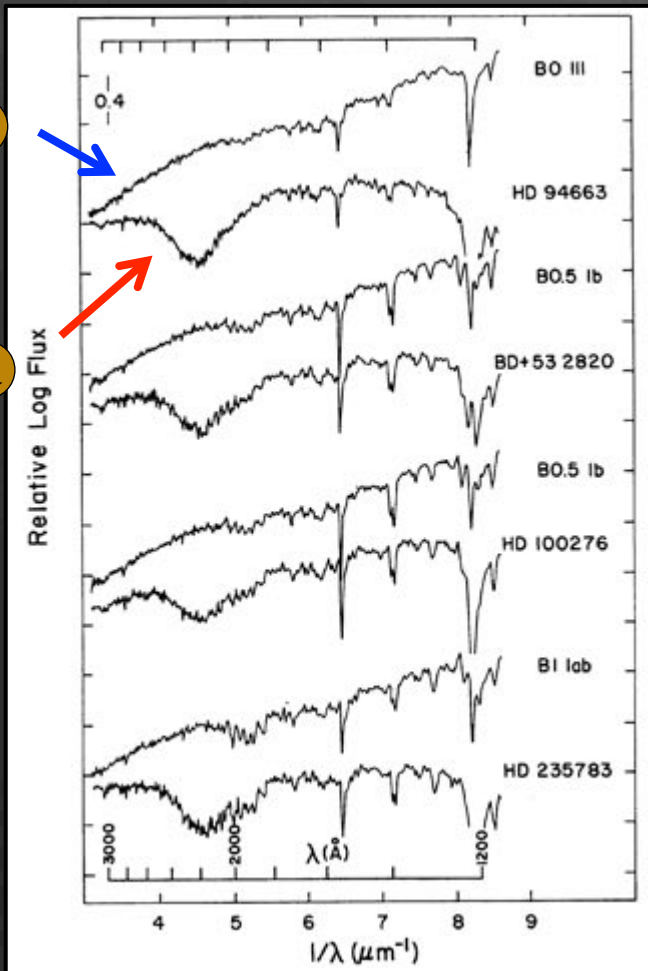
- ☉ Ideal Study: use object with known spectrum
- ☉ Stars have well understood SEDs



Unreddened  
control star

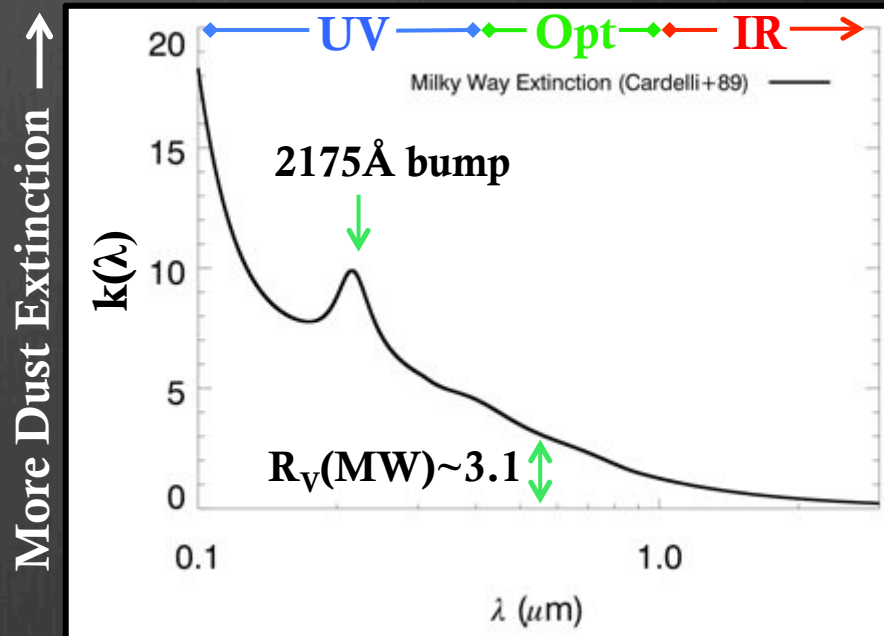


Reddened  
star



Cardelli+1992

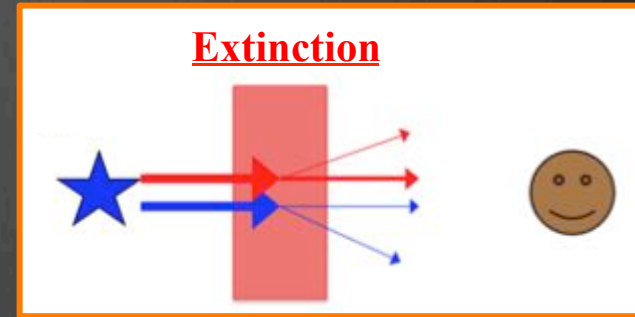
$$k(\lambda) = \frac{A(\lambda)}{E(B-V)}$$



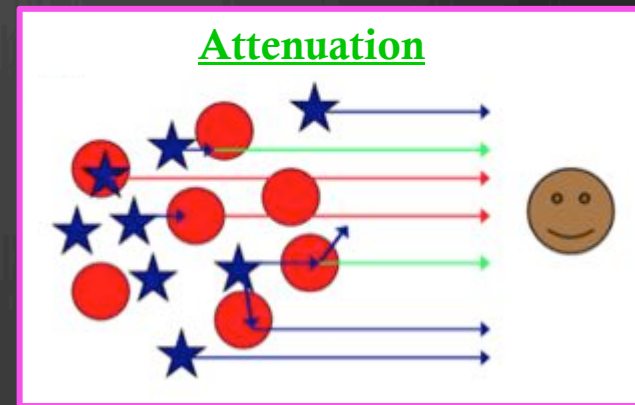
# Dust in Distant Galaxies

- ☉ Unable to resolve stars, must use diffuse light
  - ☉ Diffuse light can scatter into line of sight
- Attenuation = Absorption + Scattering out of line-of-sight + Scattering into line-of-sight
- ☉ Strongly dependent on star/dust geometry

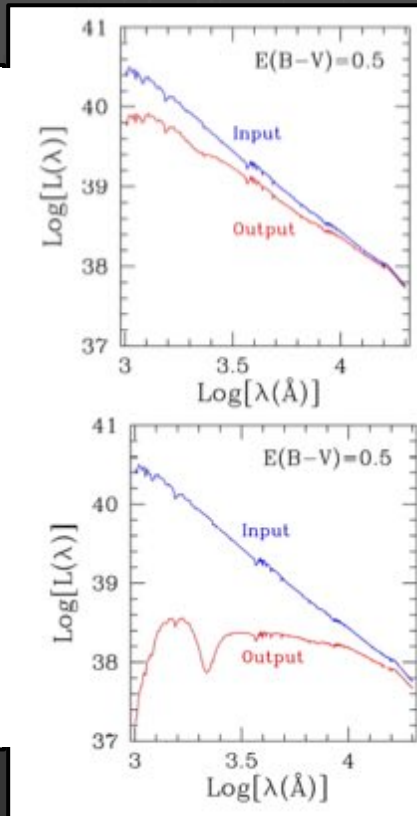
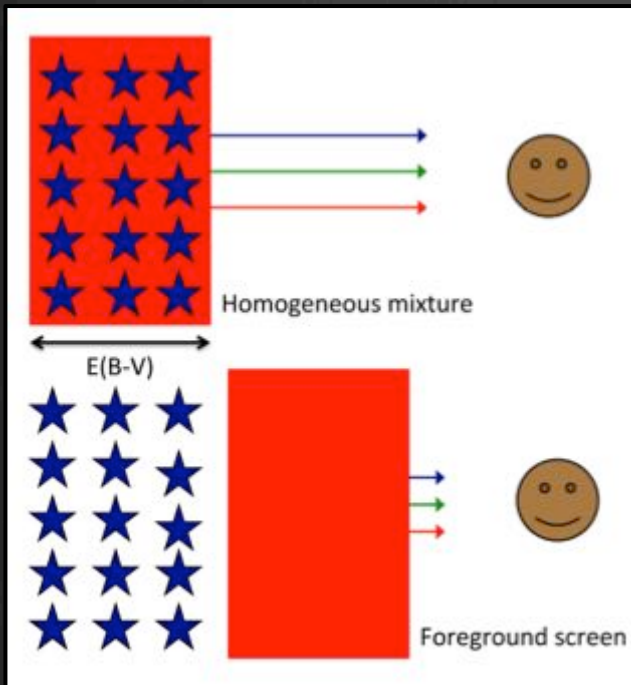
Galactic



Extragalactic

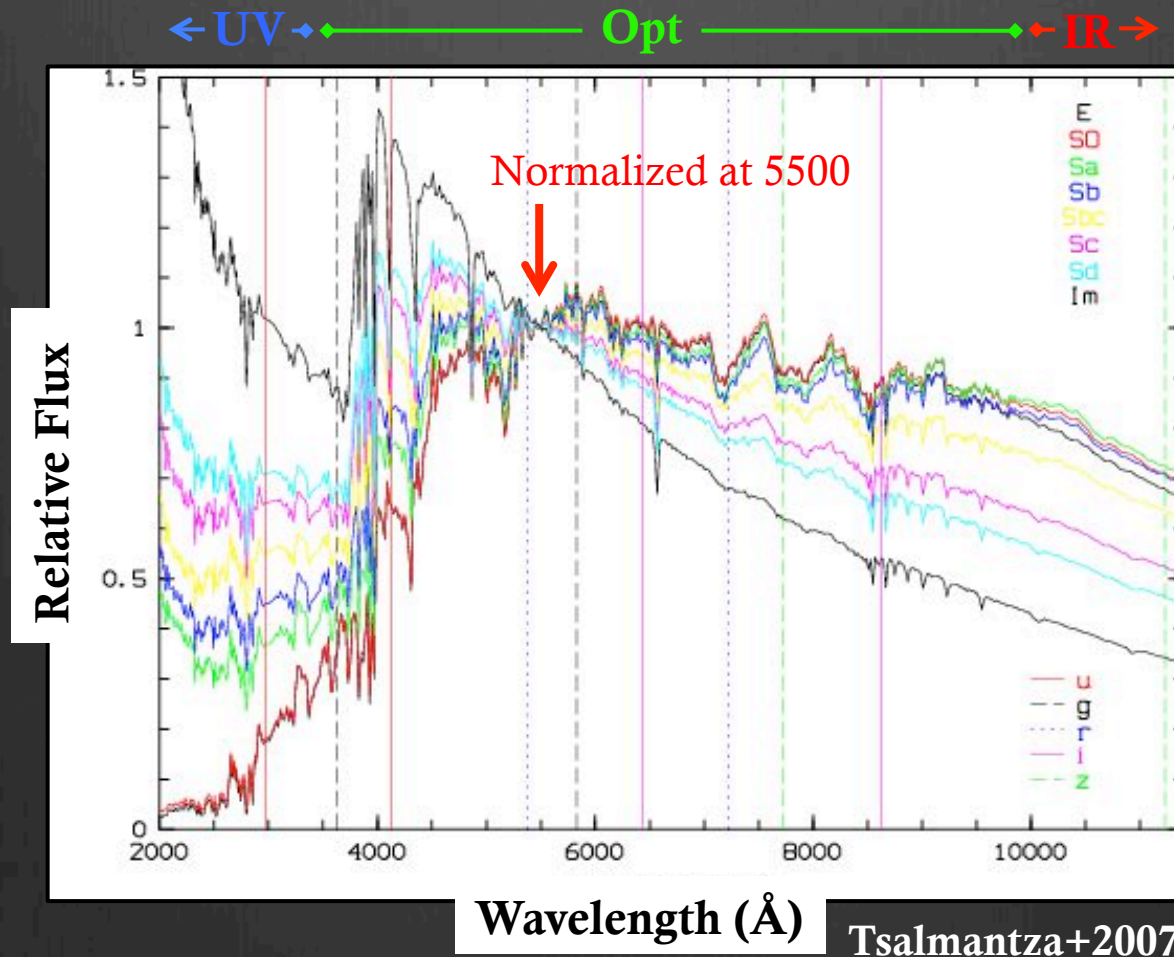


Calzetti 2013



# Dust in Distant Galaxies

- ☉ Galaxy = Collection of many stars with different ages
- ☉ No “intrinsic” galaxy SED → More difficult to characterize dust

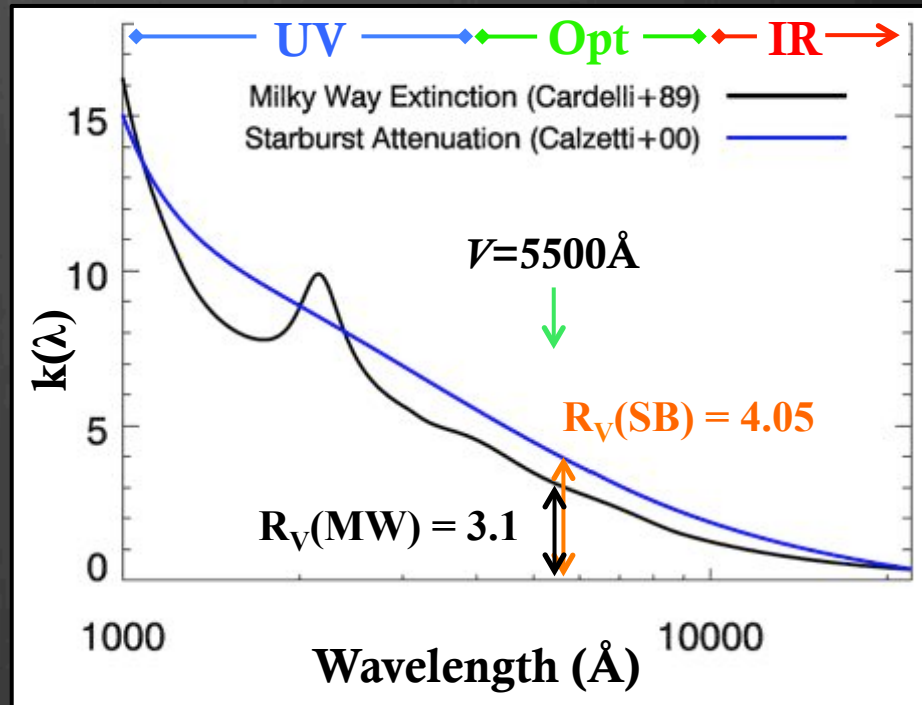
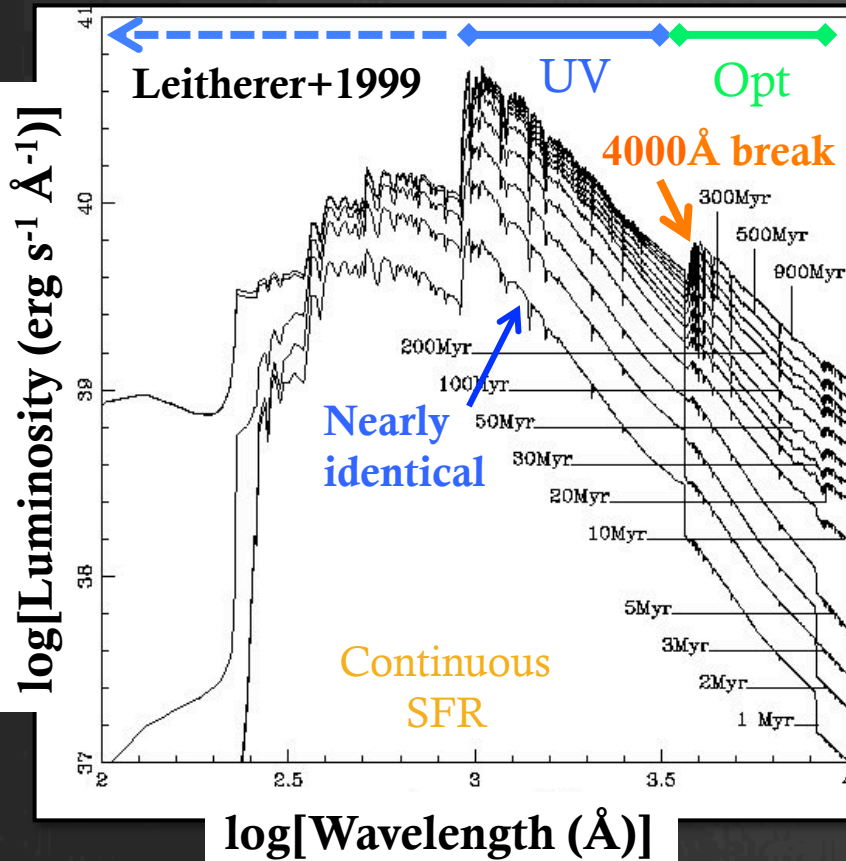


# Attenuation or Age?

- Need to limit the variables
  - Choose a particular type of galaxy (limit age range)
  - Actively star-forming galaxies share **similar UV SEDs**

Selective Attenuation      Normalization

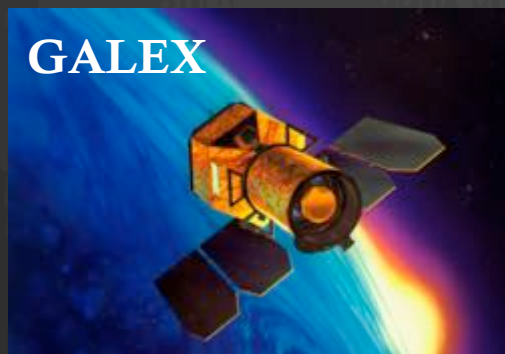
$$k(\lambda) = fQ(\lambda) + R_V$$





# Expanding the Sample

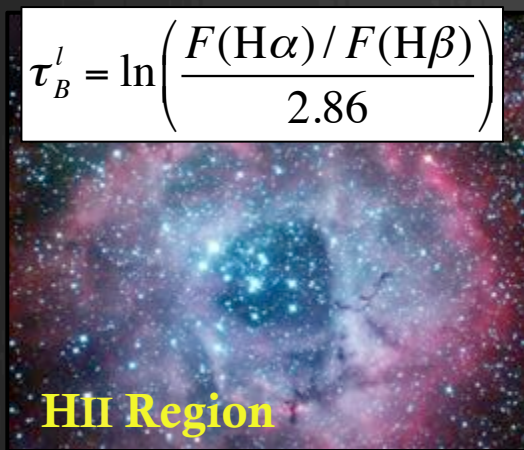
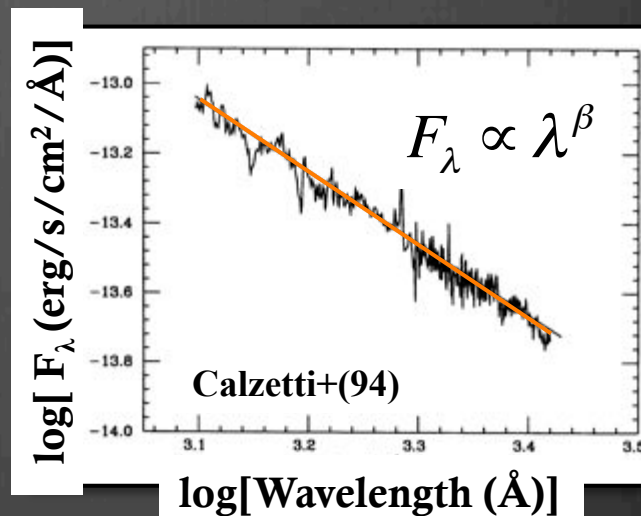
- ⊗ Nearly all studies use starburst attenuation curve (only 39 galaxies!)
  - ⊗ How appropriate is this for less active galaxies?
  - ⊗ Does attenuation curve vary with galaxy properties?
- ⊗ Need a large sample of galaxies to address these questions
  - ⊗ Large Area Surveys: **GALEX (UV)**, **SDSS (Optical+spectroscopy)**
  - ⊗ Select SFGs from optical emission line diagnostics
  - ⊗ Aperture match UV & optical data (4.5'')
  - ⊗ Final sample – 9,813 star-forming galaxies ( $z < 0.1$ )



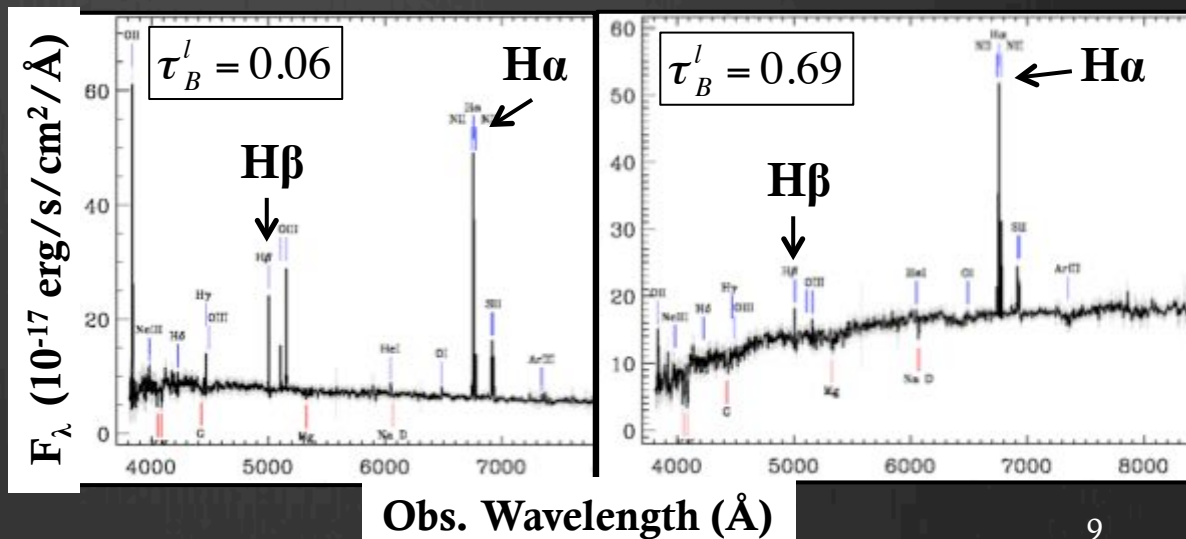


# Characterizing Attenuation

- UV slope,  $\beta$  (1250–2600Å)
  - Reddening of stellar continuum
  - Influenced by stellar age
- Balmer optical depth,  $\tau_B^l$ 
  - Reddening of ionized gas
  - Not influenced by stellar age
  - Proxy for dust content



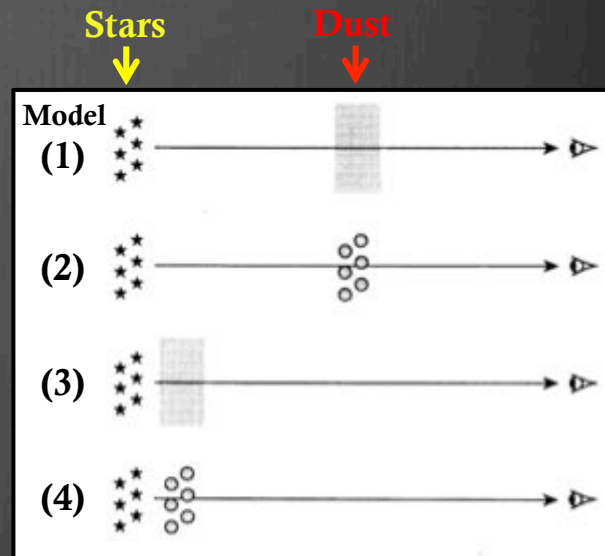
$$\tau_B^l = \ln\left(\frac{F(\text{H}\alpha) / F(\text{H}\beta)}{2.86}\right)$$



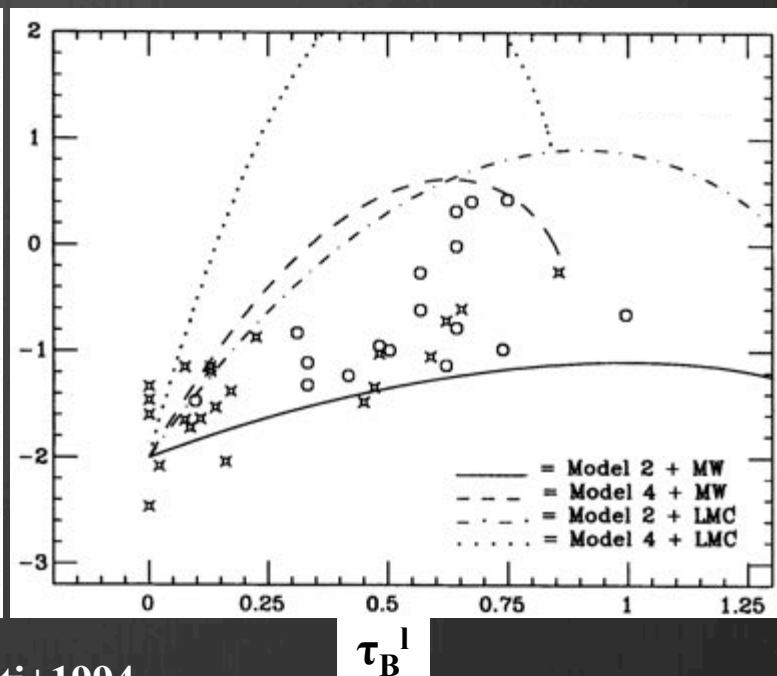
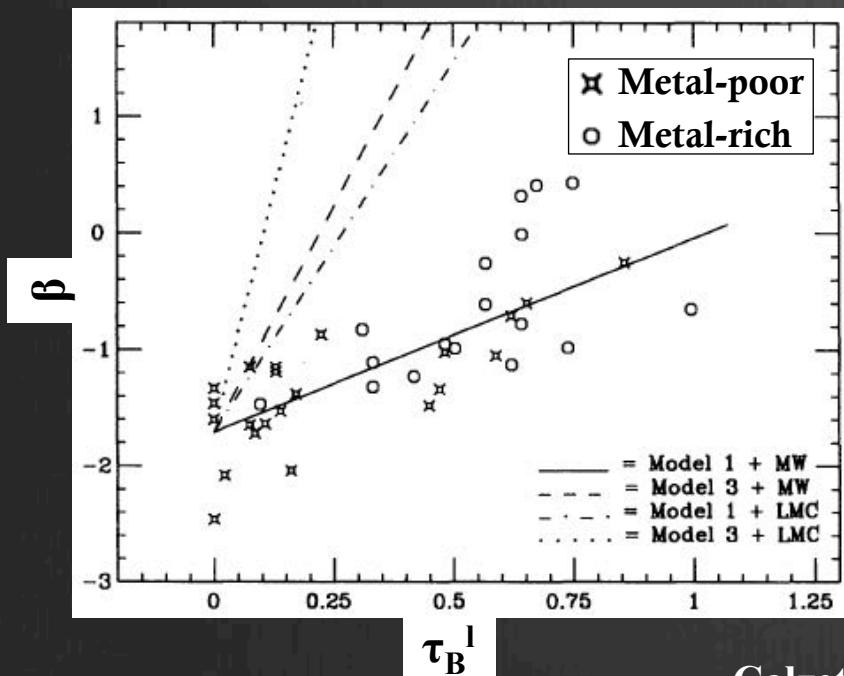
# Constraining Geometry

(Stars/Dust)

- Expect different trends between  $\beta - \tau_B^1$
- Case Study: Starburst galaxies
  - Linear behavior  $\rightarrow$  foreground dust dominates



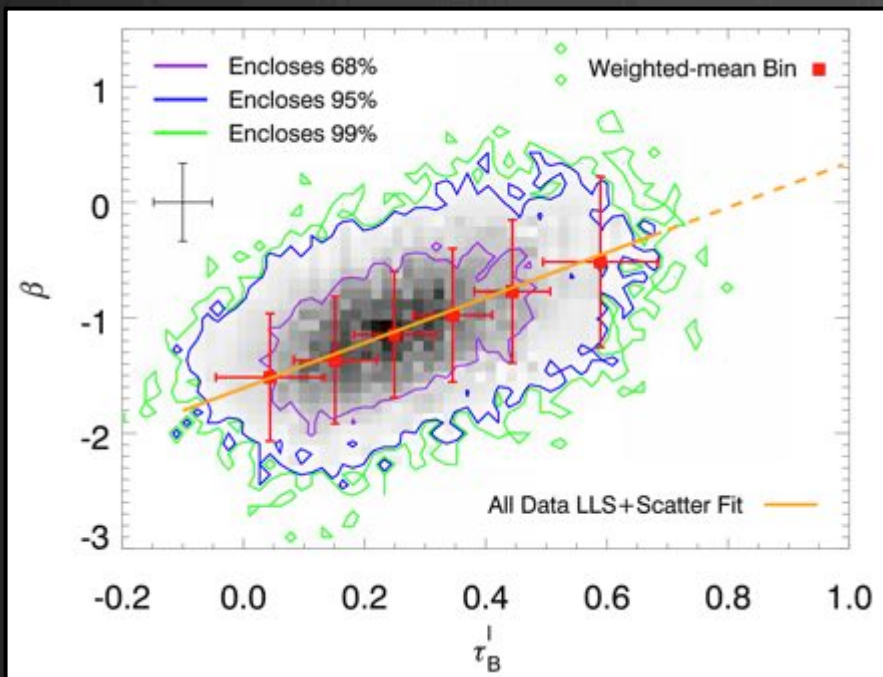
Redder ionized gas  
→  
 (More Dust)



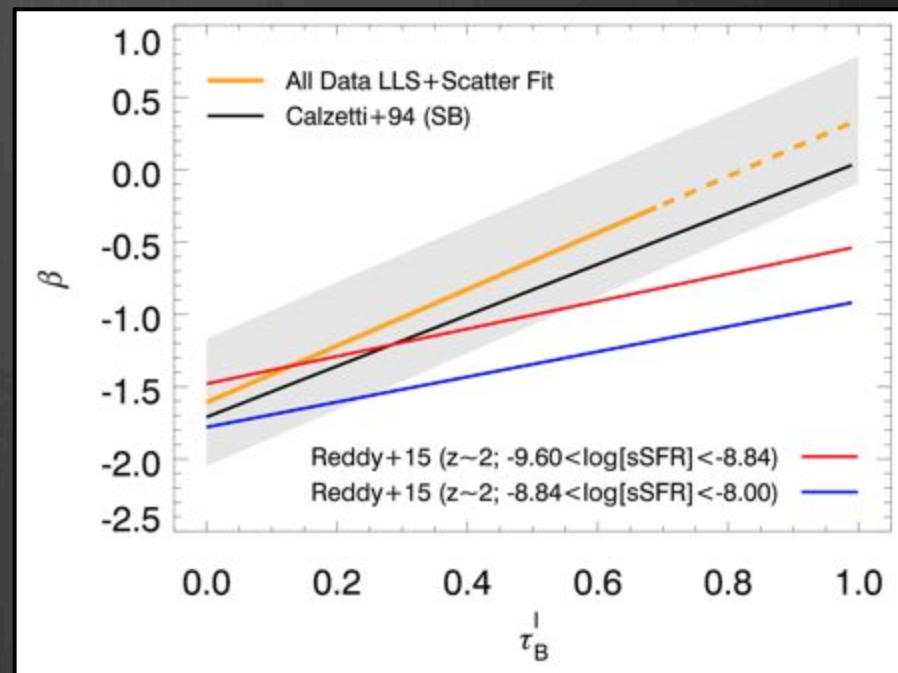
↑  
 Redder UV

# Constraining Geometry: SFGs

- ☉ SFGs also have linear relation
  - ☉ Scatter is large:  $\sigma_{\text{int}} = 0.44$
  - ☉  $\beta - \tau_B^{\perp}$  consistent with **foreground dust** as dominant component



Redder UV



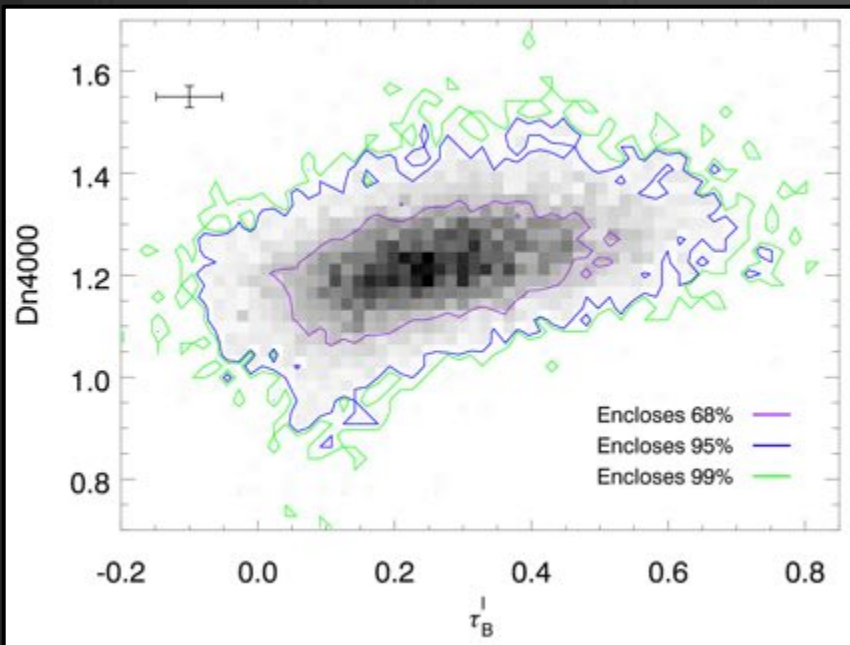
More Dust

Battisti+2016

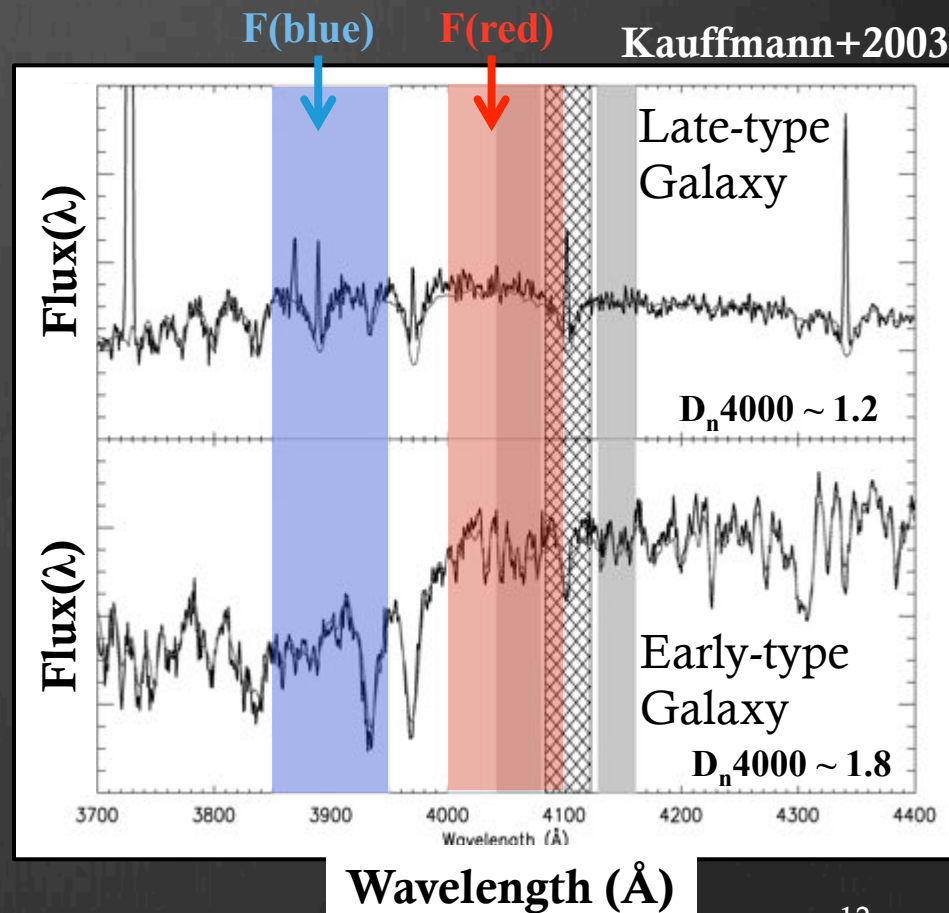
# Derive Attenuation Curve

- Want similar average stellar population with  $\tau_B^1$  (dust proxy)
- Need to limit stellar age effects:
  - Use 4000Å break;  $D_n4000 = F(\text{red})/F(\text{blue})$

Older Population



More Dust

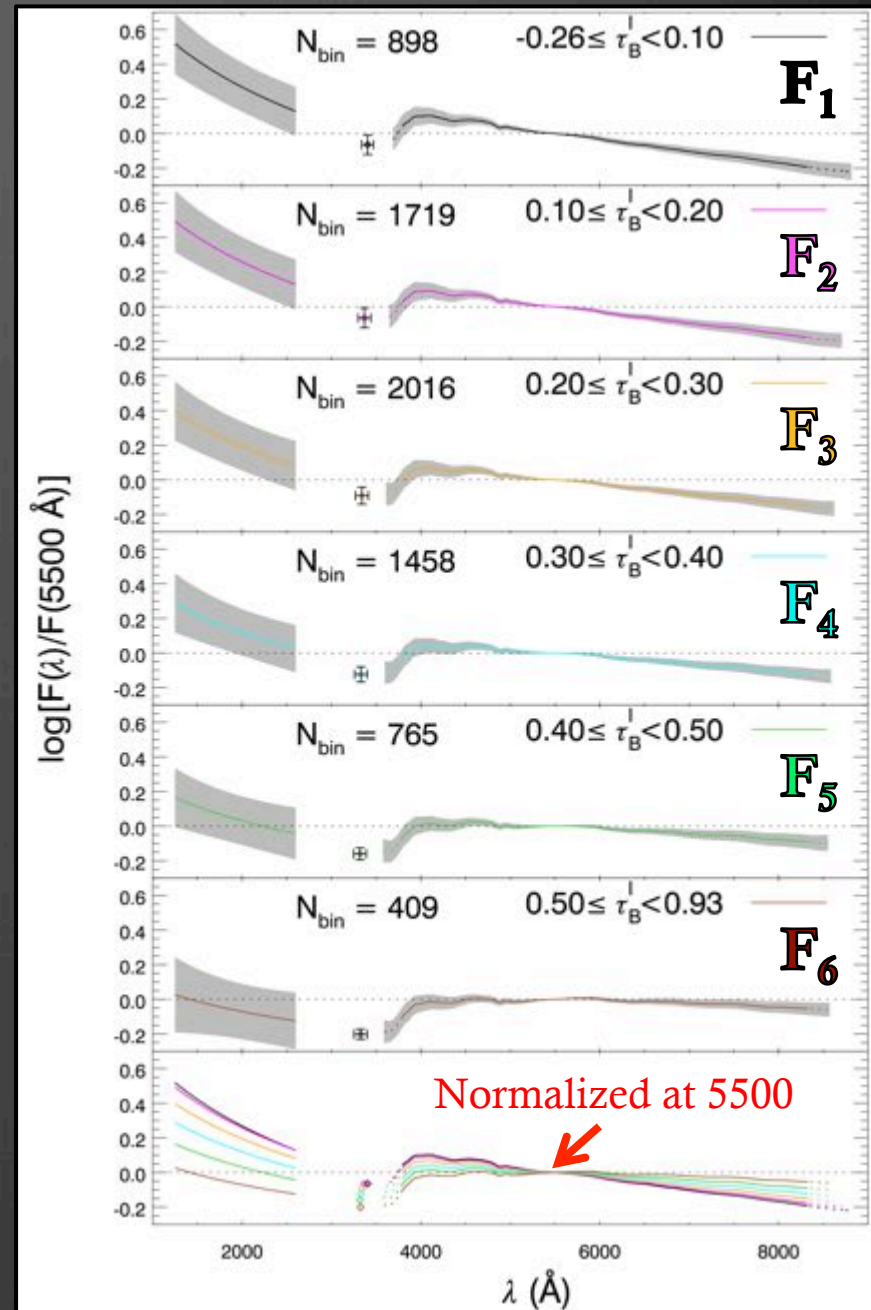
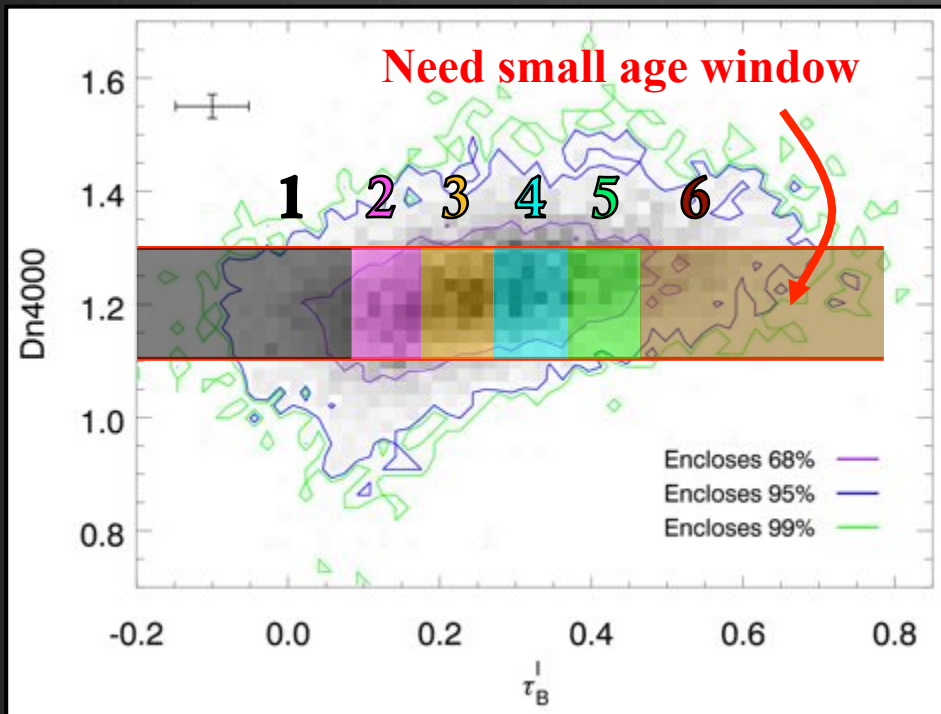




# Derive Attenuation

- ☪ Create templates as function of  $\tau_B^1$

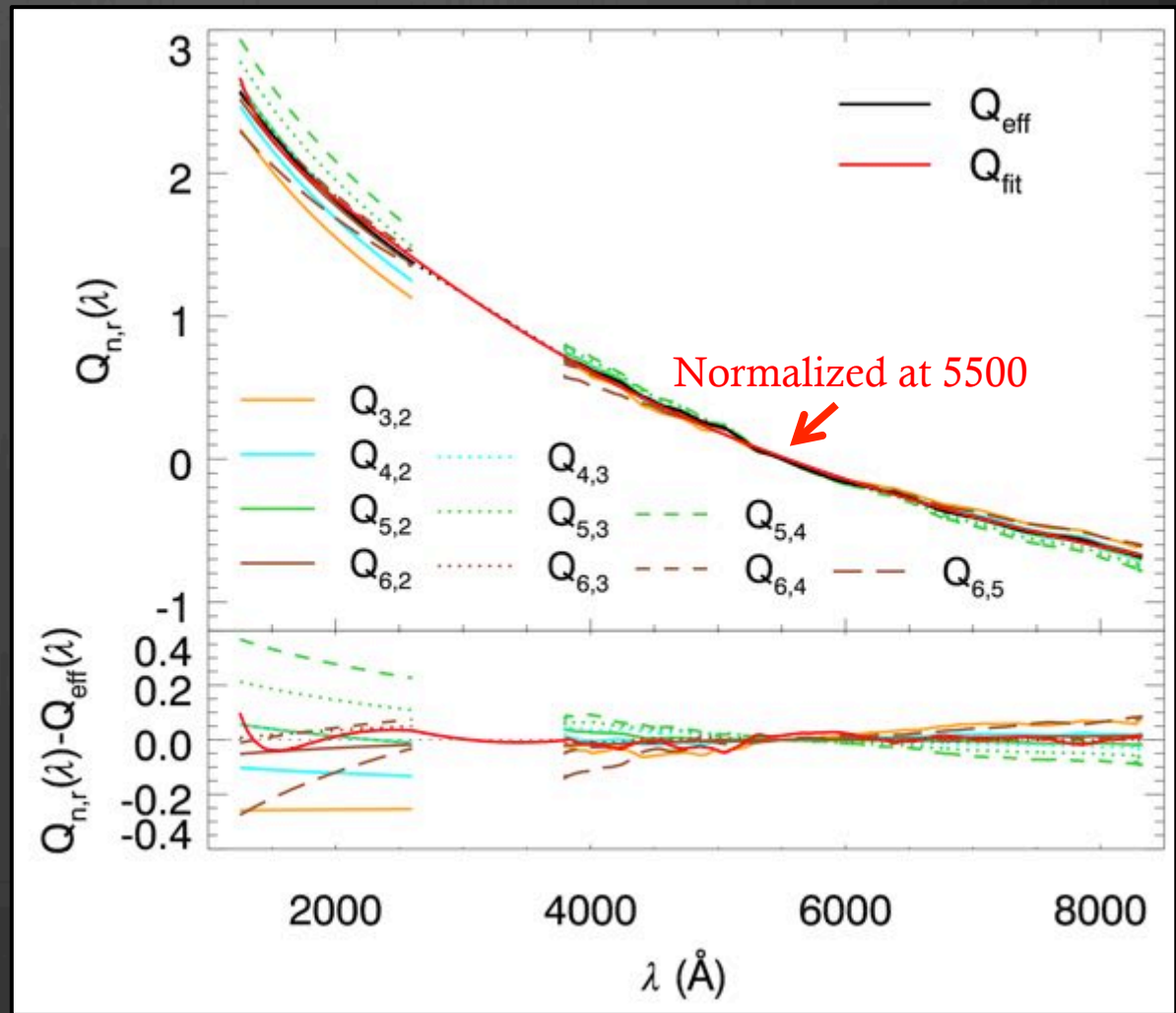
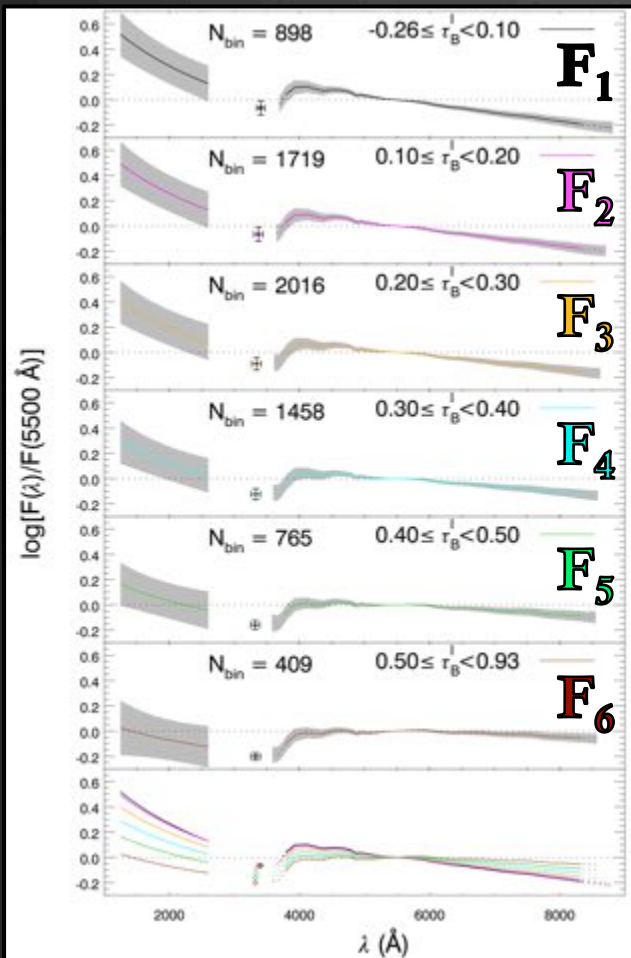
$$N(1.1 < D_n 4000 < 1.3) = 7265$$



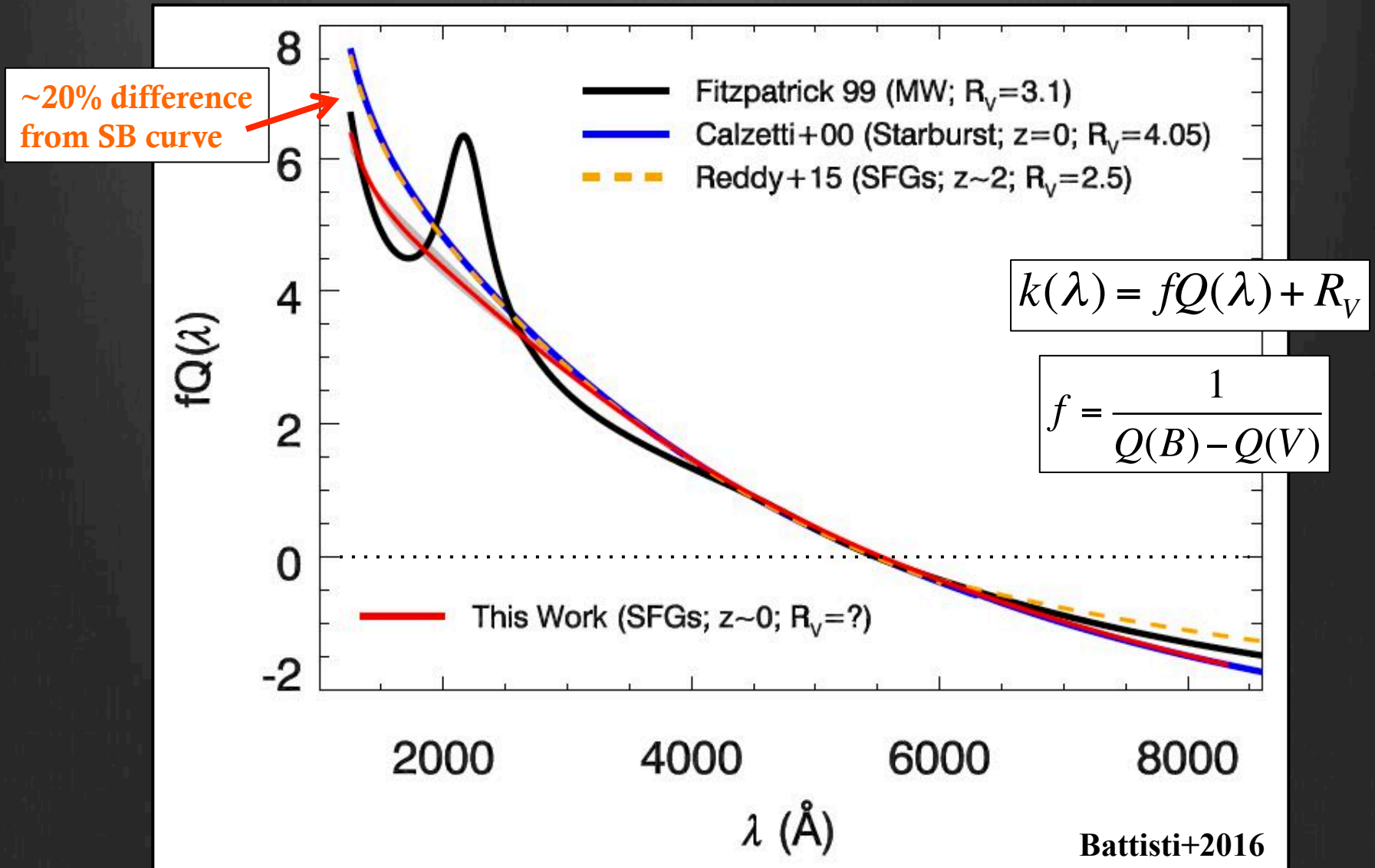
# Selective Attenuation Curve

$$Q_{n,r}(\lambda) = \frac{-\ln(F_n(\lambda)/F_r(\lambda))}{\tau_{Bn}^l - \tau_{Br}^l}$$

← Behavior of foreground geometry



# Selective Attenuation Curve



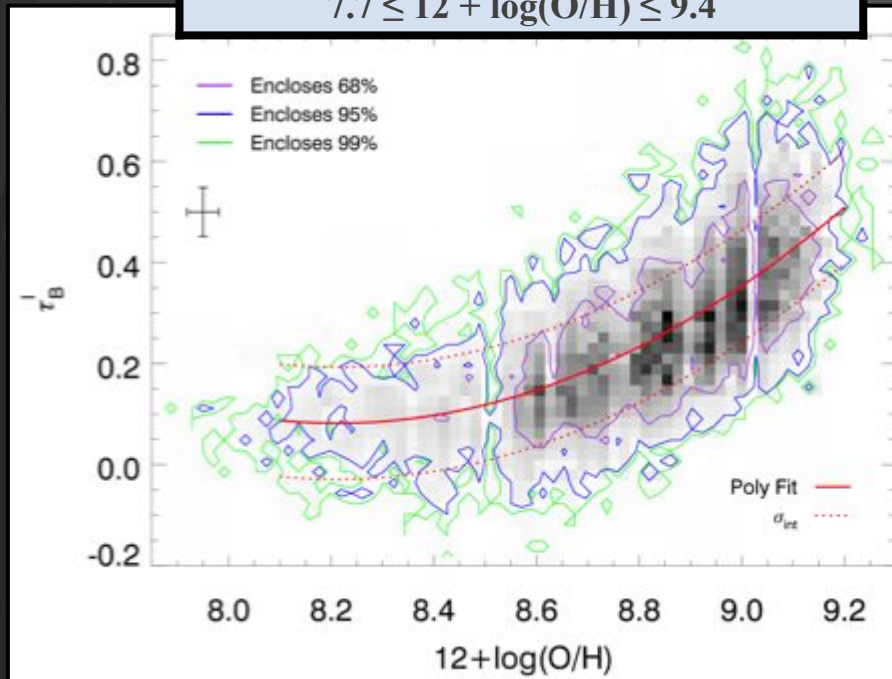
# Attenuation vs. Galaxy Properties

## SFG Properties (3" fiber)

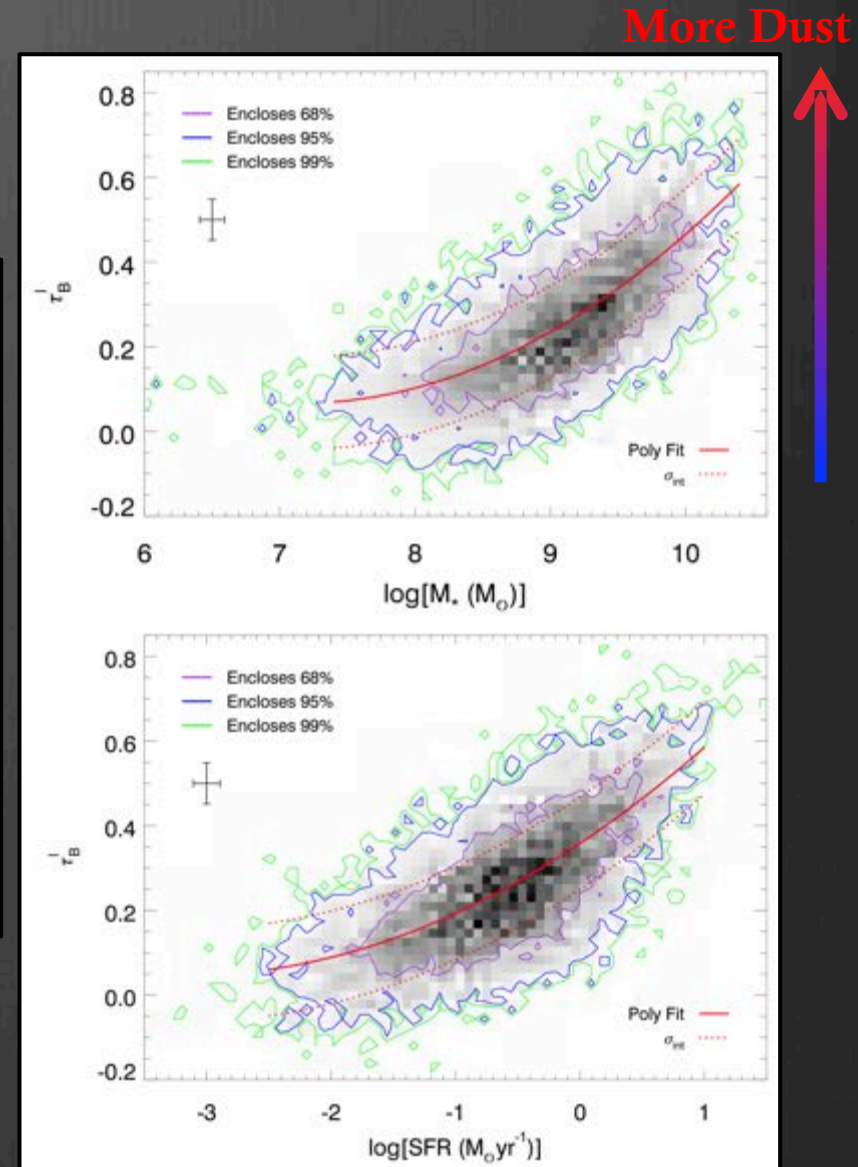
$$-3.7 \leq \log(\text{SFR} [M_{\odot}/\text{yr}]) \leq 1.6$$

$$6.0 \leq \log(M_{*}/M_{\odot}) \leq 10.7$$

$$7.7 \leq 12 + \log(\text{O}/\text{H}) \leq 9.4$$



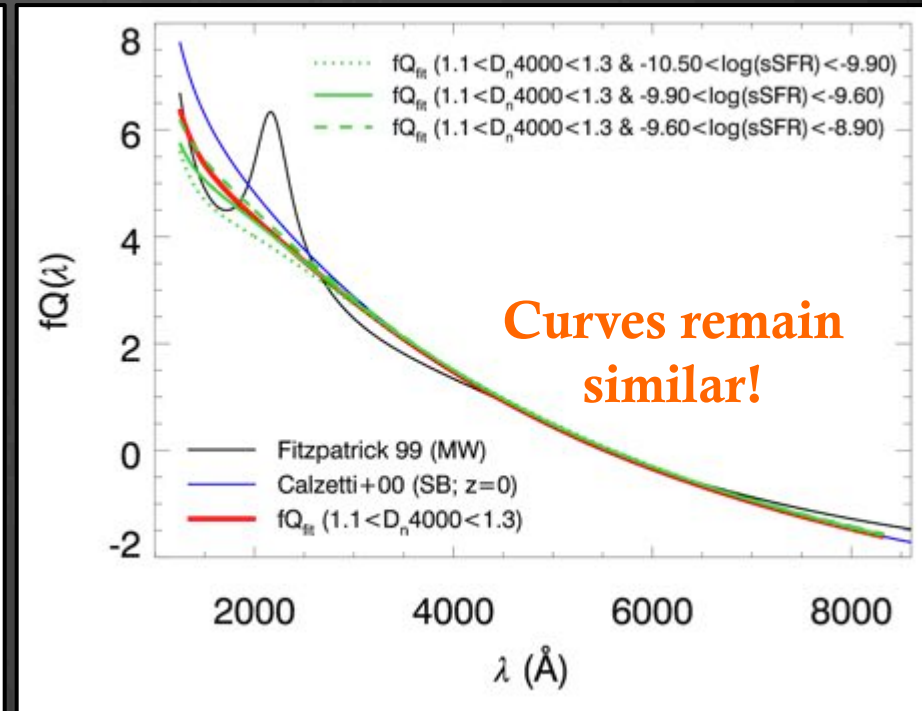
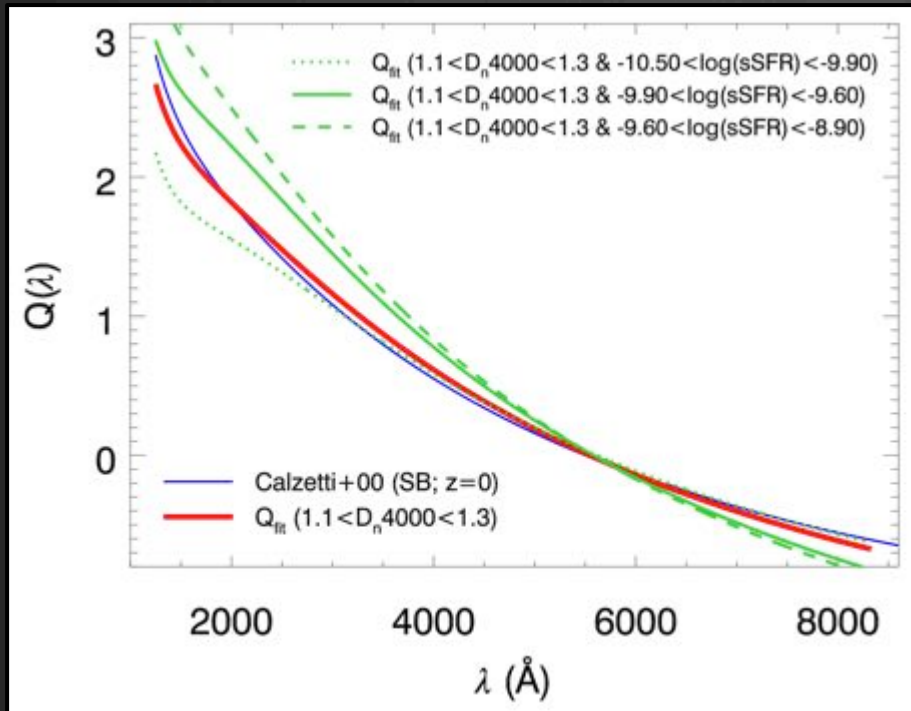
- Galaxies with **more metals**, **stellar mass**, **star formation** have **more dust**





# Attenuation Curve Variation

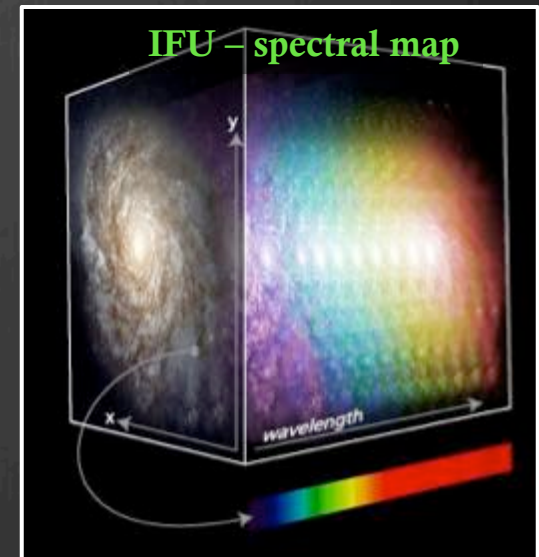
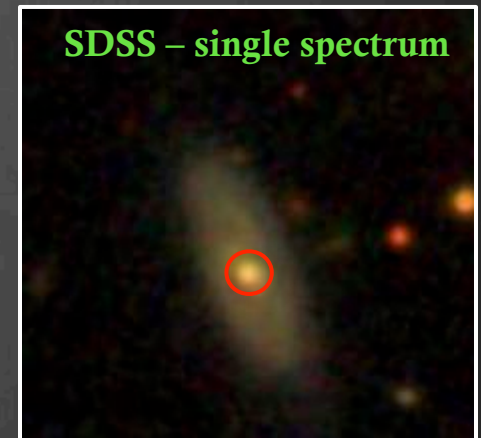
- Separate sample by various properties (ex. shown for sSFR)
  - Differential reddening ( $f$ ) varies, but **selective attenuation similar**
  - Although, notable variation with inclination (work in progress)



Battisti+2016

# The LUVOIR Revolution

- Current limitations:
  - UV – GALEX only 2 bands, poor angular resolution
  - Optical – SDSS fiber give single measurement of dust content
- Future prospects:
  - UV – LUVOIR IFU, high angular resolution
  - Optical – Numerous IFU surveys provide spatial map of dust
- Multi- $\lambda$  IFUs  $\rightarrow$  Revolutionize understanding of dust **attenuation** in other galaxies!
- Improved resolution  $\rightarrow$  Measure **extinction** curves out to few Mpc (how much variation?)



Credit: Marc White

# Summary

- ⊛ Selective attenuation,  $fQ(\lambda)$ , of SFGs **similar** to SB galaxies
  - ⊛ Favors foreground dust geometry (dominant over internal dust)
  - ⊛ Shallower UV ( $\sim 20\%$  in FUV)
- ⊛ Majority of sample is consistent with a **single selective attenuation curve**

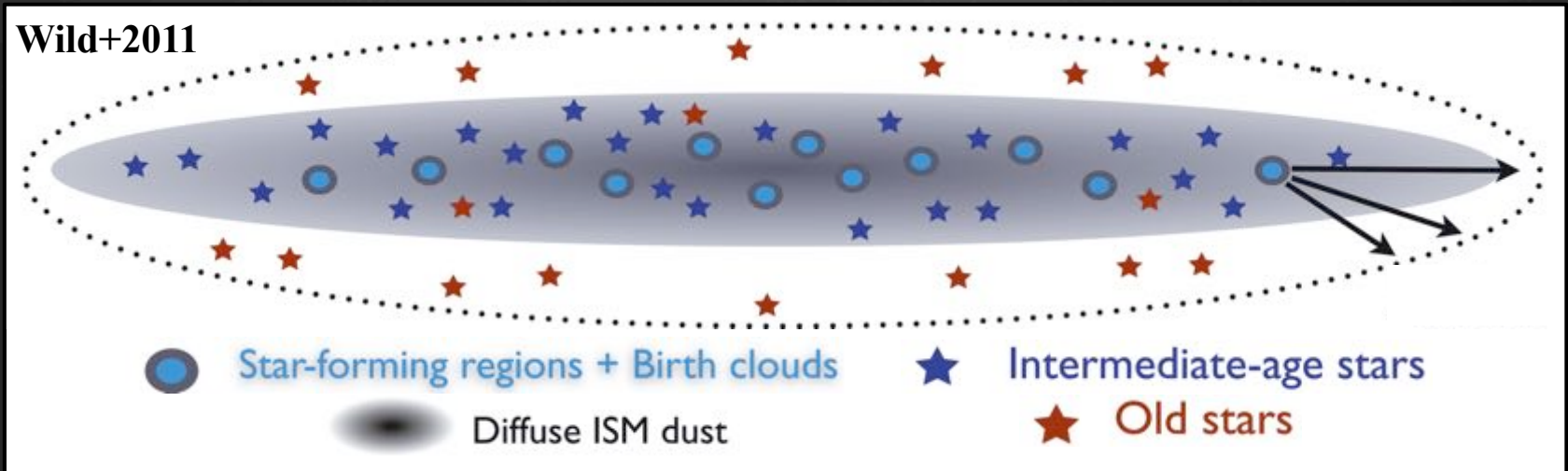
**See Battisti, Calzetti, & Chary 2016 for more details**

## In Progress...

- ⊛ Measure  $R_V$  to determine if total attenuation,  $k(\lambda)$ , is different
- ⊛ Investigate inclination & geometry (reduce scatter?)

# Differential Reddening

- ⊛ Our parameters probe different regions
  - ⊛ Attenuation curve ( $\beta$ ) – reddening of stellar continuum (SF regions, Intermediate, & Old Stars)
  - ⊛ Balmer optical depth ( $\tau_B^1$ ) – reddening of ionized gas (SF regions)

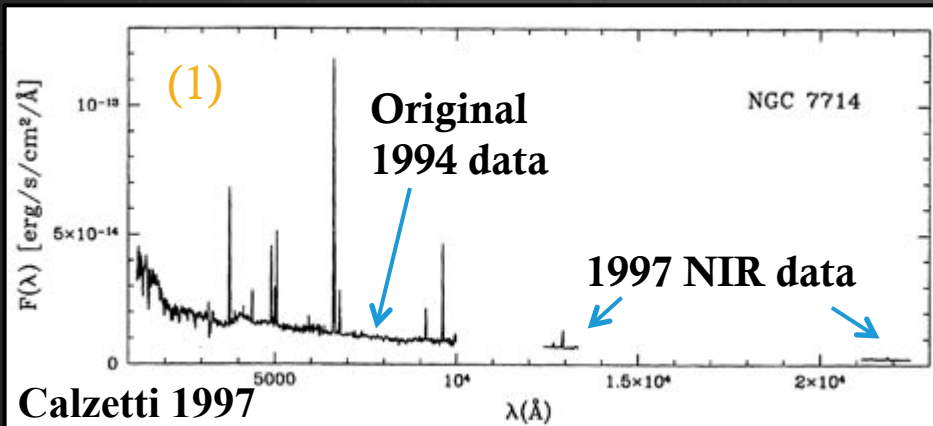


- ⊛ Ionized gas  $\sim 2x$  redder than continuum (Calzetti+00; Kreckel+13)
- ⊛ Need to correct  $Q(\lambda)$  shape ( $f$ ), so that  $k(B) - k(V) = 1$



# Normalizing the Curve

- ⊗ Ways to get the normalization,  $R_V$ :
  - ⊗ (1) Measure  $Q(\lambda)$  out to NIR where  $k(\lambda) \rightarrow 0$  (occurs at  $\sim 2.85 \mu\text{m}$ )
  - ⊗ (2) Energy balance,  $\Delta F(0.09-2.85\mu\text{m}) = F(3-1000\mu\text{m})$



$$k(\lambda) = fQ(\lambda) + R_V$$

